## MATHEMATICAL DYNAMICS MODEL OF LASSA FEVER WITH NUMERICAL AND SENSITIVITY ANALYSIS

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## Abstract

We presented a deterministic model of Lassa Fever dynamics. The compartmental model is of five compartments which are the susceptible, the latent infected individuals, the infected individuals, the isolated infected individuals and the recovered individuals. We first proved that the solutions of the model are positive for all time, t > 0. We investigated the existence of steady states (the disease-free and endemic steady state or equilibrium). We proved that the disease free equilibrium is asymptotically stable whenever  $\Re_0 < 1$  and the endemic equilibrium is shown to be also asymptotically stable. We were able to look at numerical solution of the model (simulation). This resulted in drawing seven graphs which were interpreted. The plots reveal that while strategies of reduction of the spread of the disease seems trivial but an increase in the rate of isolated of individuals diagnosed of Lassa Fever has a major role it plays in the spread and population being infected by the disease.

Keywords and phrases: Lassa Fever, endemic steady state, mathematical model of Lassa Fever, dynamical systems.

Received October 16, 2021

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